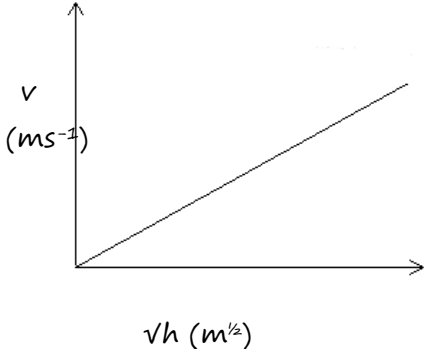
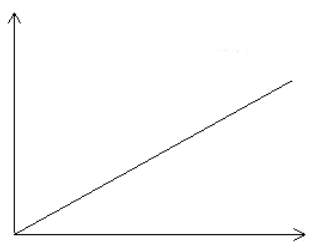
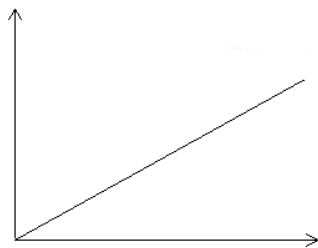
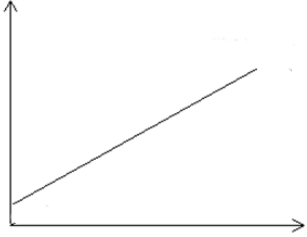
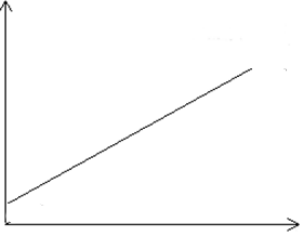
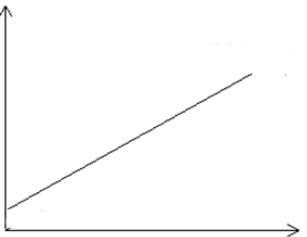


**All you wanted to know about Formulae and Graphs (but were afraid to ask!) - Too**

**Complete the following – the first one has been done as an example:**

<p>1.</p>	<p>Aim: To find the mathematical relationship between the <b>velocity, v</b>, of a ball when it hits the ground, and the <b>height, h</b>, it is dropped from.</p> <p>Formula: <math>v = \sqrt{2gh}</math></p> <p>What do you have to process? <b>height, h to vheight, vh</b></p>	<p>Variables: <b>velocity, v</b> <b>height, h</b></p>	<p>Linear Graph you would draw:</p>  <p>What does the gradient tell you? <b>(gradient) m = √2g</b></p>
<p>2.</p>	<p>Aim: To find the mathematical relationship between the <b>Voltage, V</b>, and the <b>current, I</b>.</p> <p>Formula: <math>V = IR</math></p>	<p>Variables:</p>	<p>Linear Graph you would draw:</p>  <p>What does the gradient tell you?</p>
<p>3.</p>	<p>Aim: To find the mathematical relationship between the <b>capacitance, C</b>, and the <b>distance between the plates, d</b>.</p> <p>Formula: <math>C = \frac{\epsilon_0 \epsilon_r A}{d}</math></p> <p>What do you have to process?</p>	<p>Variables:</p>	<p>Linear Graph you would draw:</p>  <p>What does the gradient tell you?</p>

<p>4.</p>	<p>Aim: To find the mathematical relationship between the <b>centripetal force, <math>F_c</math></b>, and the <b>radius of a string, <math>r</math></b>, when an object whirled above your head at constant speed.</p> <p>Formula: <math display="block">F_c = \frac{mv^2}{r}</math></p> <p>What do you have to process?</p>	<p>Variables:</p>	<p>Linear Graph you would draw:</p>  <p>What does the gradient tell you?</p>
<p>5.</p>	<p>Aim: To find the mathematical relationship between the <b>angular velocity, <math>\omega</math></b>, and the <b>spring constant, <math>k</math></b>, for different springs oscillating with the same mass attached.</p> <p>Formula: <math display="block">\omega = \sqrt{\frac{k}{m}}</math></p> <p>What do you have to process?</p>	<p>Variables:</p>	<p>Linear Graph you would draw:</p>  <p>What does the gradient tell you?</p>
<p>6.</p>	<p><b>FOR EXPERTS</b></p> <p>Aim: To find the mathematical relationship between the <b>radius of orbit of a planet, <math>r</math></b>, and the time it takes to orbit the Sun, <math>T</math>.</p> <p>Formula: <math display="block">r^3 = \frac{GM}{4\pi^2} T^2</math></p> <p>What do you have to process?</p>	<p>Variables:</p>	<p>Linear Graph you would draw:</p>  <p>What does the gradient tell you?</p>

Answers

	formula	Variables	y-axis	x-axis	gradient
1.	$v = \sqrt{2gh}$	h v	v (ms <sup>-1</sup> )	$\sqrt{h}$ (m <sup>½</sup> )	$\sqrt{2g}$
2.	$V = IR$	V I	V(V)	I(A)	R
3.	$C = \frac{\epsilon_0 \epsilon_r A}{d}$	C d	C (F)	1/d (m <sup>-1</sup> )	$\epsilon_0 \epsilon_r A$
4	$R = \frac{v_i^2 \sin 2\theta_i}{g}$	R v <sub>i</sub>	R (m)	v <sub>i</sub> <sup>2</sup> (m <sup>2</sup> s <sup>-2</sup> )	Sin 2θ/g
5	$\omega = \sqrt{\frac{k}{m}}$	ω k	ω (s <sup>-1</sup> )	$\sqrt{k}$ (N <sup>½</sup> m <sup>-½</sup> )	1/√m
6.	$r^3 = \frac{GM}{4\pi^2} T^2$	r T	r <sup>3</sup>	T <sup>2</sup>	GM/4π <sup>2</sup>